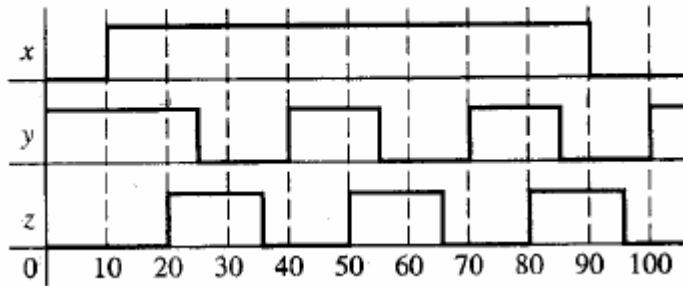


Solutions for Homework # 5

11.1



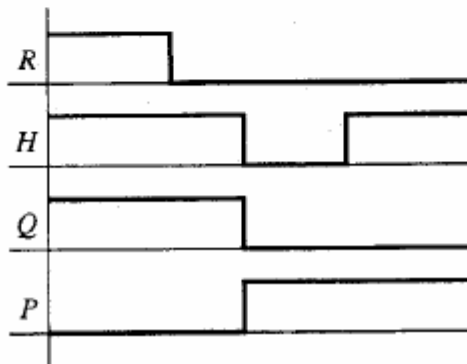
Z responds to X and to Y after 10 ns;  
 Y responds to Z after 5 ns.

11.2 (a)  $R = 1$  and  $H = 0$  cannot occur at the same time.

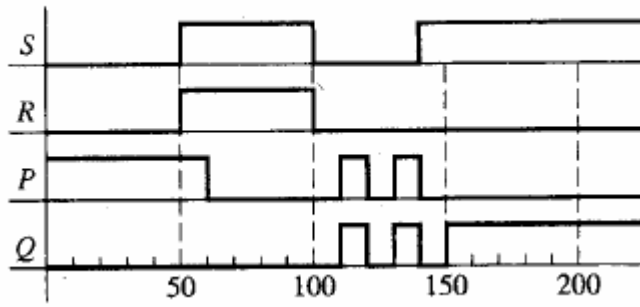
(b)

R	H	Q	Q <sup>+</sup>	$Q^+ = R + HQ$
0	0	0	0	
0	0	1	0	
0	1	0	0	
0	1	1	1	
1	0	0	X	
1	0	1	X	
1	1	0	1	
1	1	1	1	

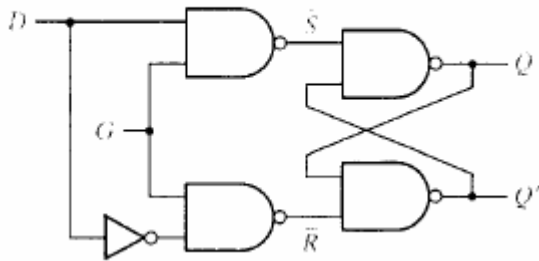
(c)



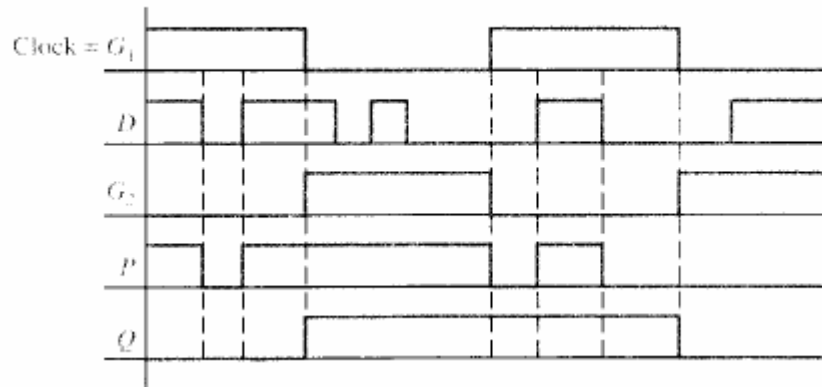
11.3



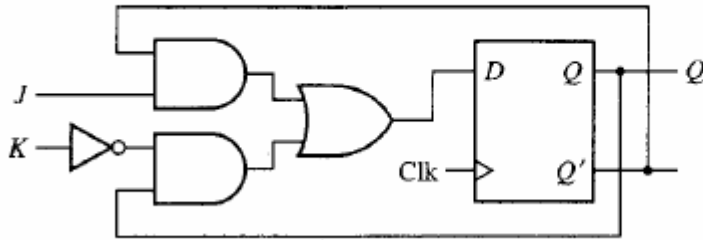
11.4



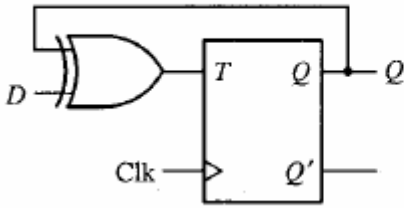
11.5 Connect the clock directly to the input  $G_1$  and connect the clock to  $G_2$  through an inverter.



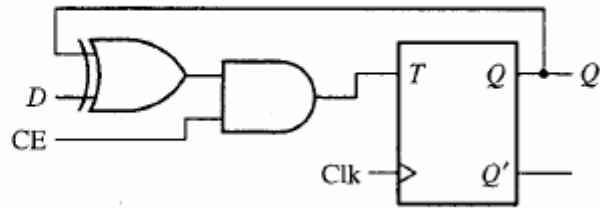
11.10 (a)



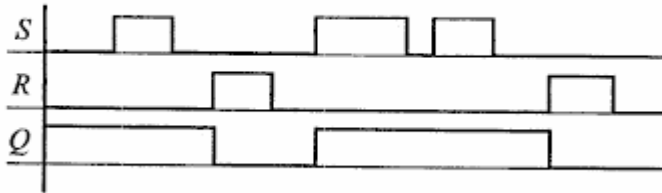
(b)



(c)

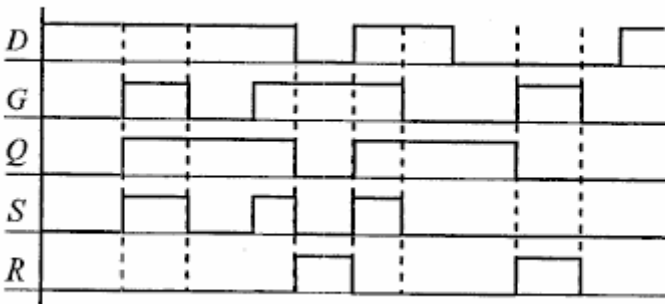


11.11

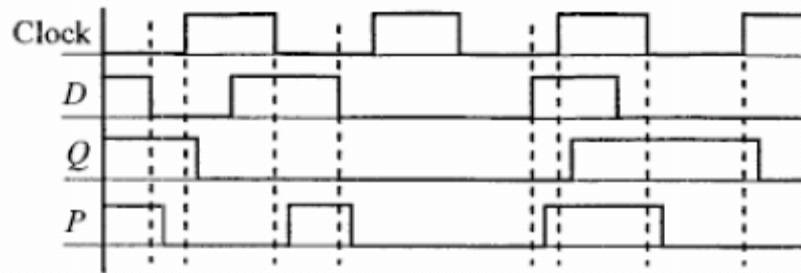


11.12 For every input/state combination with the condition  $SR = 0$  holding, each circuit obeys the next-state equation  $Q' = S + R'Q$ . When  $S = R = 1$ , in (a), both outputs are 1, and in (b), the latch holds its state.

11.13

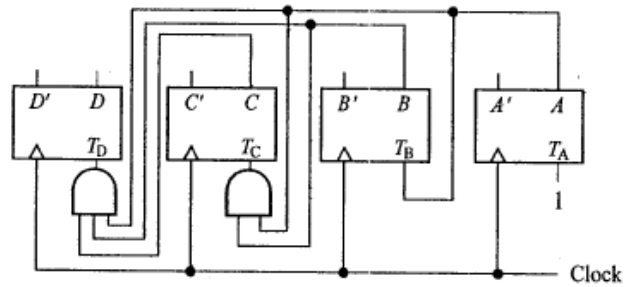


11.14



12.4 (a)

Present State DCBA	Next State D <sup>+</sup> C <sup>+</sup> B <sup>+</sup> A <sup>+</sup>	Flip-Flop Inputs T <sub>D</sub> T <sub>C</sub> T <sub>B</sub> T <sub>A</sub>
0000	0001	0001
0001	0010	0011
0010	0011	0001
0011	0100	0111
0100	0101	0001
0101	0110	0011
0110	0111	0001
0111	1000	1111
1000	1001	0001
1001	1010	0011
1010	1011	0001
1011	1100	0111
1100	1101	0001
1101	1110	0011
1110	1111	0001
1111	0000	1111



As explained in Section 12.3, it can be seen that  $A$  changes on every pulse:  $T_A = 1$

$B$  changes only when  $A = 1$ :  $T_B = A$

$C$  changes only when both  $B$  and  $A = 1$ :  $T_C = AB$

$D$  changes only when  $A, B,$  and  $C = 1$ :  $T_D = ABC$

12.4 (b) The binary counter using D flip-flops is obtained by converting each T flip-flop to a D flip-flop by adding an XOR gate.

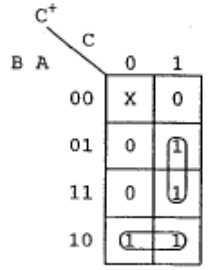
See FLD p. 650 and Figure 12-15 on FLD p. 335.

12.5 Equations for  $C, B,$  and  $A$  are from Equations (12-2) on FLD p. 335. Beginning with (b) of Problem 12.4 solutions,

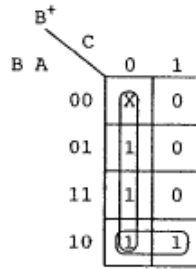
$$\begin{aligned}
 D^+ &= D \oplus CBA = D'CBA + D(CBA)' \\
 &= D'CBA + D(C' + B' + A') \\
 &= D'CBA + DC' + DB' + DA'
 \end{aligned}$$

12.7 (a)

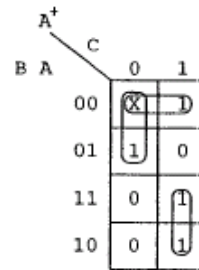
CBA	C'B'A'
000	XXX
001	011
010	110
011	010
100	001
101	100
110	111
111	101



$$C^+ = CA + BA'$$



$$B^+ = C + BA'$$

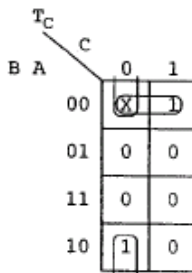


$$A^+ = C'B' + CB + BA'$$

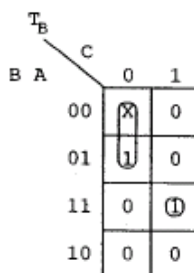
$$A^+ = C'B' + CB + CA'$$

For D flip-flop: 000 goes to 011 because  $D_c D_B D_A = 011$

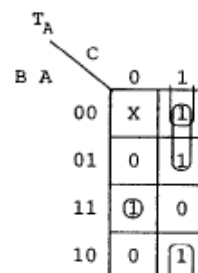
12.7 (b)



$$T_C = CA' + BA'$$



$$T_B = C'B' + CBA$$



$$T_A = C'BA + C'B' + CA'$$

For T flip-flop: 000 goes to 110 because  $T_A T_B T_c = 110$

12.8 (a)

CBA	C*B'A*
000	XXX
001	011
010	110
011	010
100	001
101	100
110	111
111	101

C\*

B A	0	1
00	X	0
01	0	1
11	0	1
10	1	1

B\*

B A	0	1
00	X	0
01	1	0
11	1	0
10	1	1

A\*

B A	0	1
00	X	1
01	1	0
11	0	1
10	0	1

J<sub>C</sub>

B A	0	1
00	X	X
01	0	X
11	0	X
10	1	X

$J_C = A'$

K<sub>C</sub>

B A	0	1
00	X	1
01	X	0
11	X	0
10	X	0

$K_C = B'A'$

J<sub>B</sub>

B A	0	1
00	X	0
01	1	0
11	X	X
10	X	X

$J_B = C'$

K<sub>B</sub>

B A	0	1
00	X	X
01	X	X
11	0	1
10	0	0

$K_B = CA$

J<sub>A</sub>

B A	0	1
00	X	1
01	X	X
11	X	X
10	0	1

$J_A = C$

K<sub>A</sub>

B A	0	1
00	X	X
01	0	1
11	1	0
10	X	X

$K_A = C'B + CB'$

In state 000,

$J_C = A' = 1, K_C = B'A' = 1, C^* = C' = 1$

$J_B = C' = 1, K_B = CA = 0, B^* = 1$

$J_A = C = 0, K_A = C'B + C'B' = 0, A^* = A = 0$

So the next state is  $C^*B^*A^* = 110$

12.8 (b)

S<sub>C</sub>

B A	0	1
00	X	0
01	0	X
11	0	X
10	1	X

$S_C = BA'$

$S_C = CA'$

R<sub>C</sub>

B A	0	1
00	X	1
01	X	0
11	X	0
10	0	0

$R_C = B'A'$

S<sub>B</sub>

B A	0	1
00	X	0
01	1	0
11	X	0
10	X	X

$S_B = C'$

R<sub>B</sub>

B A	0	1
00	X	X
01	0	X
11	0	1
10	0	0

$R_B = CA$

S<sub>A</sub>

B A	0	1
00	X	1
01	X	0
11	0	X
10	0	1

$S_A = CA'$

R<sub>A</sub>

B A	0	1
00	X	0
01	0	1
11	1	0
10	X	0

$R_A = C'B + C'B'A$

In state 000,

$S_C = BA' = 0, R_C = B'A' = 1, C^* = 0$

$S_B = C' = 1, R_B = CA = 0, B^* = 1$

$S_A = CA' = 0, R_A = C'B + C'B'A = 0, A^* = A = 0$

So the next state is  $C^*B^*A^* = 010$