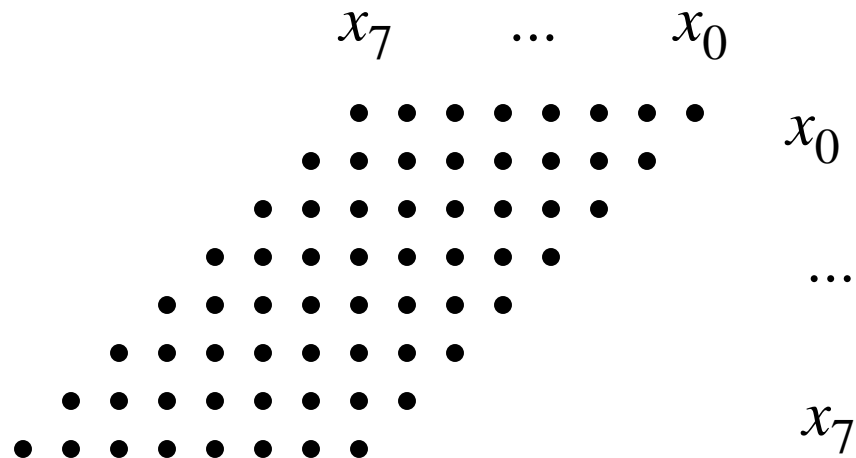


SQUARING

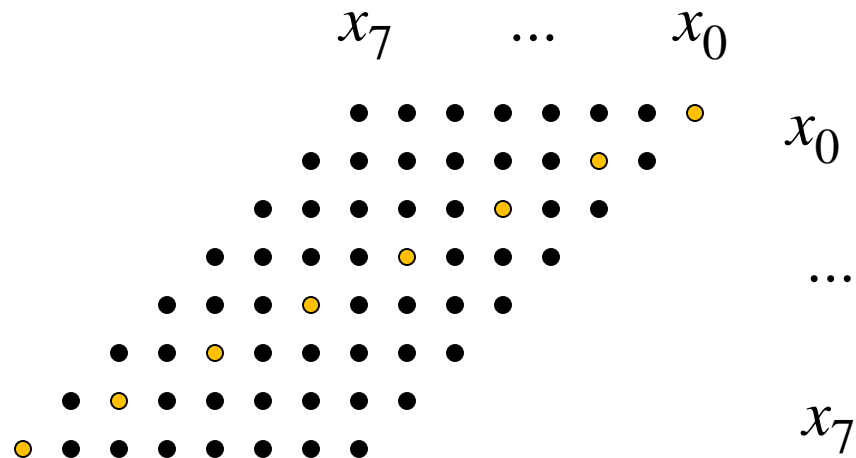
Squaring

- x^2 can be calculated with about half the hardware of a full multiply (for a dedicated squaring block, of course)
- This simplification method begins with a non-Booth straightforward encoding of the *multiplier's* bits



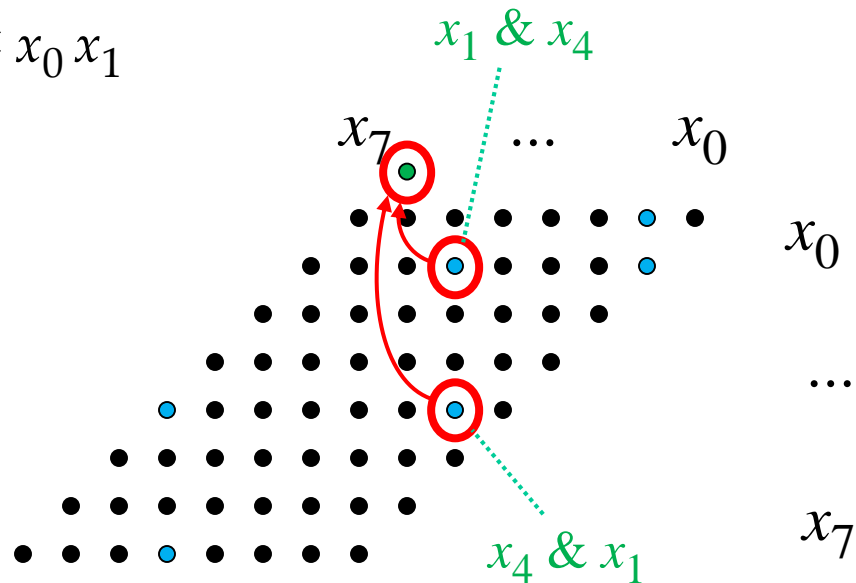
Squaring

- Simplification #1: The partial product bits on the diagonal ($x_0 \& x_0, x_1 \& x_1, \dots$) can be replaced by the single input bit with no computation for that partial product bit
- $0 \text{ AND } 0 = 0$
 $1 \text{ AND } 1 = 1$
 $x_i \text{ AND } x_i = x_i$



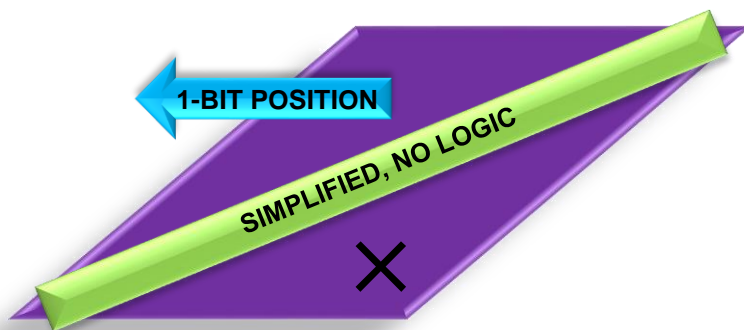
Squaring

- Simplification #2: Pairs of equivalent bit products ($x_1 x_0$ and $x_0 x_1, \dots$) can be replaced by one bit product shifted over one column
- $x_1 x_0, x_0 x_1 = 2 \times x_0 x_1$



Squaring

- The end result is:
 - Approximately 1/2 of the partial product array is deleted
 - Generation of partial product bits along the diagonal of the array require no logic
 - The remaining approximately 1/2 of the partial product array is shifted one bit to the left (multiplied by 2)



OR

